

025:250 COMPOSITION: ELECTRONIC MEDIA I

Calculating period from frequency, frequency from period, frequency from pitch name, and sample rate from interval of transposition.

Period from frequency

Example: If a sound has a frequency f of 625 Hz, what is its period T in milliseconds?

- a) $f = 625 \text{ Hz}$
- b) $T = (1/625 \text{ Hz}) \times 1000$
- c) $T = 0.0016 \times 1000$
- d) $T = 1.6 \text{ ms}$

Frequency from period

Example: If a sound has a period T of 8 ms, what is its frequency f in Hertz?

- a) $T = 8 \text{ ms}$
- b) $f = 1/(8/1000) \text{ Hz}$
- c) $f = 1/(0.008) \text{ Hz}$
- d) $f = 125 \text{ Hz}$

Frequency from pitch name

Let C4 denote middle C and B3 denote B below middle C.

Let A4 have a frequency of 440 Hz.

Let A5 have a frequency of $440 \times 2 \text{ Hz}$.

Let Bb4 have a frequency of $440 \times 1.0595 \text{ Hz}$.

Example: What is the frequency f of Eb2?

- a) f of A4 = 440 Hz
- b) f of A1 = 440 Hz/8 Hz
- c) f of A1 = 55 Hz
- d) f of Eb2 = 55 Hz $\times 1.0595^n$ where n = number of semitones Eb2 is above A1
- e) f of Eb2 = 55 Hz $\times 1.0595^6$
(Hint: since multiplying a frequency by 1.0595 raises the pitch a semitone, keep multiplying the transpositions by 1.0595 until the desired number of semitones has been reached. Fun fact: to lower a pitch by n semitones, divide f by 1.0595^n .)
- f) f of Eb2 = 55 Hz $\times 1.0595 \times 1.0595 \times 1.0595 \times 1.0595 \times 1.0595 \times 1.0595$
- g) f of Eb2 = 77.77 Hz

Sample rate from interval of transposition

Let sampling rate S kHz = Hz/1000

Example: If a sound has a sampling rate of 44.1 kHz, what sampling rate will lower its pitch by 3 semitones?

a) $S = 44.1 \text{ kHz}/1.0595^n$ where n = number of semitones you wish to lower the pitch

b) $S = 44.1 \text{ kHz}/1.0595^3$

c) $S = 44.1 \text{ kHz}/(1.0595 \times 1.0595 \times 1.0595)$

d) $S = 44.1 \text{ kHz}/1.189$

e) $S = 37.089 \text{ kHz}$